# The Devil is in the Decoder

Zbigniew Wojna<sup>1</sup> zbigniewwojna@gmail.com Vittorio Ferrari<sup>2</sup> vittoferrari@google.com Sergio Guadarrama<sup>2</sup> sguada@google.com Nathan Silberman<sup>2</sup> nsilberman@google.com Liang-Chieh Chen<sup>2</sup> lcchen@google.com Alireza Fathi<sup>2</sup> alirezafathi@google.com Jasper Uijlings<sup>2</sup> jrru@google.com <sup>1</sup> University College London <sup>2</sup> Google, Inc.

#### Abstract

Many machine vision applications require predictions for every pixel of the input image (for example semantic segmentation, boundary detection). Models for such problems usually consist of encoders which decreases spatial resolution while learning a high-dimensional representation, followed by decoders who recover the original input resolution and result in low-dimensional predictions. While encoders have been studied rigorously, relatively few studies address the decoder side. Therefore this paper presents an extensive comparison of a variety of decoders for a variety of pixel-wise prediction tasks. Our contributions are: (1) Decoders matter: we observe significant variance in results between different types of decoders on various problems. (2) We introduce a novel decoder: bilinear additive upsampling. (3) We introduce new residual-like connections for decoders. (4) We identify two decoder types which give a consistently high performance.

# **1** Introduction

Many important machine vision applications require predictions for every pixel of the input image. Examples include but are not limited to: semantic segmentation [22], boundary detection [22], super-resolution [23], colorization [21], depth estimation [22], normal surface estimation [2], saliency prediction [23], image generation networks (GANs) [23], and optical flow [23]. Models for such applications are usually composed of a feature extractor that decreases spatial resolution while learning high-dimensional representation and a decoder that recovers the original input resolution. While feature extractors were rigorously studied

It may be distributed unchanged freely in print or electronic forms.



Figure 1: General schematic architecture used for dense prediction problems.

(for example in the context of image classification), relatively few studies have been done on the decoder side.

This work presents an extensive analysis of a variety of decoding methods on a broad range of machine vision tasks: semantic segmentation, depth prediction, colorization, superresolution, and instance edge detection. We make the following contributions: (1) Decoders matter: we observe significant variance in results between different types of decoders on various problems. (2) We introduce a new bilinear additive upsampling layer, which results in significant improvements over normal bilinear upsampling. (3) We introduce residual-like connections for decoders. While the differences in spatial resolution and number of feature channels of the input and output of the decoder make it impossible to use residual connections directly, we show how to create residual-like connections. (4) We identify two decoder types which give a consistently high performance on all tested machine vision tasks.

# 2 Decoder Architecture

Dense problems which require per pixel predictions are typically addressed with an encoderdecoder architecture (see Figure 1). First, a feature extractor downsamples the spatial resolution (usually by a factor 8-32) while increasing the number of channels. Afterward, a 'decoder' upsamples the representation back to the original input size. Conceptually, such decoder can be seen as a reversed operation to what encoders are doing. One decoder module consists of at least one layer that increases spatial resolution, which we call an upsampling layer, and possibly layers that preserve spatial resolution (e.g. standard convolution, a residual block, an inception block).

Decoder architectures were previously studied only in the context of the single problem: [13] analyzes  $5 \times 5$  transposed convolution and proposes equivalent convolutional operation but faster. [51] improved on super-resolution through depth to space transformation. [23] examined artifacts which transposed convolution causes in generator network in Generative Adversarial Network.

Layers that preserve spatial resolution were well studied in the literature in the context of neural architectures for image classification  $[\square, \square, \square, \square]$ . Therefore we only analyze the layers that increase spatial resolution - the upsampling layers. Unlike other studies on decoder



Figure 2: Transposed convolution with kernel size 3 and stride 2.

architectures, we do this on five different machine vision tasks. Recently, stacked hourglass networks were proposed [23], which are multiple encoder-decoder networks stacked in sequence. Our study is valid for a single encoder-decoder network, while intuitively the choice of decoder becomes more important as the number of decoders increase.

### 2.1 Upsampling layers

Below we present and compare several ways of upsampling the spatial resolution in convolution neural networks, a crucial part of any decoder. We limit our study to upsampling the spatial resolution by a factor of two which is the most common setup in the literature. Figures exemplifying the upsampling operations assume kernel of size 3x3.

### 2.1.1 Existing upsampling layers

**Transposed Convolution.** Transposed Convolutions are the most commonly used upsampling layers and are also sometimes referred to as 'deconvolution' or 'upconvolution' [**b**, **21**], **32**] in multiple applications [**b**, **21**], **32**]. A Transposed Convolution can be seen as a reversed convolution in the sense of how the input and output are related to each other. However, it is not an inverse operation, since calculating the exact inverse is an under-constrained problem and therefore ill-posed. Transposed convolution is equivalent to interleaving the input features with 0's and applying a standard convolutional operation. The calculations of a transposed convolution are illustrated in Figure 2.

**Decomposed Transposed Convolution.** Decomposed Transposed Convolution is similar to the transposed convolution, but conceptually it splits the main convolution operation up into multiple low-rank convolutions. For images, it simulates a 2D transposed convolution using two 1D convolutions (Figure 3). Regarding possible feature transformations, Decomposed Transposed Convolution is strictly a subset of regular Transposed Convolution. As an advantage, the number of trainable parameters is reduced (Table 1).

Decomposed Transposed Convolution was successfully applied in the inception architecture [1] where it achieved state of the art results on ILSVRC2012 [2]. It was also used to reduce the number of parameters of the network in [1].



Figure 3: Decomposed transposed convolution.

**Separable Transposed Convolution.** Separable Convolution were used to build a simple and homogenous network architecture [ $\square$ ] which achieved superior results to inception-v3 [ $\square$ ]. A Separable Convolution consists of two operations, a per channel convolution and a pointwise convolution with  $1 \times 1$  kernel which mixes the channels. Separable transposed convolution is defined in the same way through applying the transposed convolution (Figure 2) however, now on every single channel separately. Afterward, a pointwise  $1 \times 1$  convolutional kernel is applied. Again, regarding feature transformations, Separable Transposed Convolutions are a strict subset of Transposed Convolutions. In most cases, it has significantly fewer parameters than even Decomposed Transposed Convolutions (Table 1).

**Depth To Space.** Depth to Space operation [1] (also called subpixel convolution) shifts the feature channels into the spatial domain as illustrated in Figure 4. Depth To Space preserves perfectly all floats inside the high dimensional representation of the image, as it only changes their placement. The drawback of this approach is that it introduces alignment artifacts. To be comparable with other upsampling layers which have learnable parameters, before depth to space transformation we are applying a convolution with four times more output channels than for other upsampling layers.

**Bilinear Upsampling.** Bilinear Interpolation is another common approach for upsampling the spatial resolution. To be comparable with other methods we assume there is additional convolutional operation applied after the upsampling. The drawback of this strategy is that it is both memory and computationally intensive: bilinear interpolation increases the feature size quadratically while keeping the same amount of 'information' counted in the number of floats. Because the bilinear upsampling is followed by a convolution, the resulting upsampling method is four times more expensive than a transposed convolution.

### 2.1.2 Bilinear additive upsampling

To overcome the memory and computational problems of bilinear upsampling, we introduce a new upsampling layer: bilinear additive upsampling. In this layer, we propose to do bilinear upsampling as before, but we also add every N consecutive channels together, effectively reducing the output by a factor N. This process is illustrated in Figure 5. Please note that this process is deterministic and has zero tunable parameters (similarly to Depth To Space





#### Figure 4: Depth To Space.

upsampling, but doesn't cause alignment artifacts). Therefore, to be comparable with other upsampling methods we apply a convolution after this upsampling method. In this paper, we choose N in such a way that the final number of floats before and after bilinear additive upsampling is equivalent (we upsample by a factor 2 and choose N = 4), which makes the costs of this upsampling method similar to a transposed convolution.

### 2.2 Skip Connections and Residual Connections

#### 2.2.1 Skip Connections

#### 2.2.2 Residual Connections for decoders

Residual connections  $[\square]$  have been shown to be beneficial for a variety of tasks. However, residual connections cannot be directly applied to upsampling methods since the output layer has a higher spatial resolution than the input layer and a lower number of feature channels. In this paper, we introduce a transformation which solves both problems.

In particular, the bilinear additive upsampling method which we introduced above (Figure 5) transforms the input layer into the desired spatial resolution and number of channels without using any parameters. The resulting features contain much of the information of the original features. Therefore we can apply this transformation (this time without doing any convolution) and add its result to the output of any upsampling layer, resulting in a residuallike connection. We demonstrate the effectiveness of our residual connection in Section 4.

#### WOJNA ET AL .: THE DEVIL IS IN THE DECODER



x'1+y'1	x'2+y'2	x'3+y'3	x'4+y'4	x'5+y'5	x'6+y'6
+z'1+t'1	+z'2+t'2	+z'3+t'3	+z'4+t'4	+z'5+t'5	+z'6+t'6
x'7+y'7	x'8+y'8	x'9+y'9	x'10+y'10	x'11+y'11	x'12+y'12
+z'7+t'7	+z'8+t'8	+z'9+t'9	+z'10+t'10	+z'11+t'11	+z'12+t'12
x'13+y'13	x'14+y'14	x'15+y'15	x'16+y'16	x'17+y'17	x'18+y'18
+z'13+t'13	+z'14+t'14	+z'15+t'15	+z'16+t'16	+z'17+t'17	+z'18+t'18
x'19+y'19	x'20+y'20	x'21+y'21	x'22+y'22	x'23+y'23	x'24+y'24
+z'19+t'19	+z'20+t'20	+z'21+t'21	+z'22+t'22	+z'23+t'23	+z'24+t'24
x'25+y'25	x'26+y'26	x'27+y'27	x'28+y'28	x'29+y'29	x'30+y30'
+z'25+t'25	+z'26+t'26	+z'27+t'27	+z'28+t'28	+z'29+t'29	+z'30+t'30
x'31+y31'	x'32+y32'	x'33+y33'	x'34+y34'	x'35+y'35	x'36+y'36
+z'31+t'31	+z'32+t'32	+z'33+t'33	+z'34+t'34	+z'35+t'35	+z'36+t'36

#### Figure 5: Bilinear additive upsampling, example for an input image with 4 channels.

Upsampling method	# of parameters	# of operations	Comments
Transposed	whIO	whWHIO	
Dec. Transposed	(w+h)IO	(w+h)WHIO	Subset of Transposed
Sep. Transposed	whI + IO	whWHI + WHIO	Subset of Transposed
Conv and Depth To Space	whI(4O)	whWHI(4O)	
Bilinear with Conv	whIO	wh(2W)(2H)IO	
Bilinear additive with Conv	whIO	wh(2W)(2H)(I/4)O	

Table 1: Comparison of different upsampling methods. W, H - feature width and height, w, h - kernel width and height, I, O - number of channels for input and output features.

# **3** Tasks and Experimental Setup

**Instance boundaries detection.** For instance-wise boundaries, we use PASCAL VOC 2012 segmentation [**D**]. This dataset contains 1,464 training and 1,449 validation images, annotated with contours for 20 object classes for all instances. The dataset was originally designed for semantic segmentation. Therefore only interior object pixels are marked, and the boundary location is recovered from the segmentation mask. Similar to [**D**], **B**], we consider only object boundaries without distinguishing semantics, treating all 20 classes as one.

As encoder or feature extractor we use ResNet-50 with stride 8, atrous convolution, initialized with the pre-trained weights. The input to the network is of size  $321 \times 321$ . The spatial resolution is reduced to  $41 \times 41$ , after which we use 3 upsampling layers with additional convolution layer between to make predictions in the original resolution.

During training, we augment the dataset through rescaling the images by a random factor between 0.5 and 2.0 and random cropping. We train the network with asynchronous stochastic gradient descent for 40,000 iterations using a momentum of 0.9. We use a learning rate of 0.0003 with a polynomial decay of power 0.99. We apply L2 regularization with weight decay 0.0002. We use a batch size 5. We use sigmoid cross entropy loss per pixel (averaged across all pixels), where 1 represents an edge, and 0 represents a non-edge pixel.

Edge detection is evaluated using two measures: f-measure for the best-fixed contour threshold across the entire dataset and average precision (AP). During the evaluation, predicted contour pixels within three from ground truth pixels are assumed to be correct [21].

**Super resolution.** For super-resolution, we test our approach on the CelebA dataset, which consists of 167,483 training images and 29,249 validation images [**L**]. We follow the setup from [**L**]: the input images of the network are  $16 \times 16$  images, which are created by resizing the original images. The goal is to reconstruct the original images which have a resolution of  $128 \times 128$ .

The network architecture used for super-resolution is similar to the one from [ $\square$ ]. We use six resnet-v1 blocks with 32 channels after which we upsample by a factor of 2. We repeat this three times to get to a target upsampling factor of 8. On top of this, we add 2 pointwise convolutional layers with 682 channels with batch normalization in the last layer. Note that in this problem there are only operations which keep the current spatial resolution or which upsample the representation. We train the network on a single machine with 1 GPU, batch size 32, using RMSProp optimizer with a momentum of 0.9, a decay of 0.95 and a batch size of 16. We fix the learning rate at 0.001 for 30000 iterations. We apply L2 regularization with weight decay 0.0005. The network is trained from scratch.

As loss we use the averaged L2 loss between the predicted residuals  $\hat{y}$  and actual residuals y. The ground truth residual y in the loss function is the difference between original  $128 \times 128$  target image and the predicted upsampled image. All target values are scaled to [-1,1]. We evaluate performance using standard metrics for super-resolution: PSNR and SSIM.

**Colorization.** We train and test our models on the ImageNet dataset [29], which consists of 1,000,000 training images and 50,000 validation images.

For the network architecture, we follow  $[\square]$ , where we swap their original bilinear upsampling method with the methods described in Section 2 in particular, these are three upsampling steps of factor 2.

This model combines joint training of image classification and colorization, where we are mainly interested in the colorization part. The input image is resized to  $224 \times 224$  pixels. We train the network for 30,000 iterations using the Adam optimizer with a batch size of 32, fixed the learning rate to 1.0. We apply L2 regularization with weight decay 0.0001. During training, we randomly crop input image and perform random flipping.

As loss function we use the averaged L1 loss for pixel-wise color differences for the colorization part, and a softmax cross entropy loss for the classification part.

$$Loss(y, \hat{y}, y_{cl}, \hat{y_{cl}}) = 10|y - \hat{y}| - y_{cl}\log \hat{y_{cl}}$$
(1)

Color predictions are made in the YPbPr color space (luminance, blue - luminance, red - luminance), the luminance is ignored in the loss function during both training and evaluation as is it provided by the input greyscale image. The output pixel value targets are scaled to the range [0,1].  $y_c l$  is a one hot encoding of the predicted class label and  $\hat{y}_{cl}$  are the predicted classification logits.

To evaluate colorization we follow [5]. We compute the average of root mean squared error between the color channels in the predicted and ground truth pixels. Then for different thresholds for root mean squared errors we calculate the accuracy of correctly predicted colored pixels within given range. Based on these we compute Area Under the Curve [5]. Additionally, we calculate the top-1 and top-5 Inception-v3 [5] classification accuracy for the colorized images on ImageNet dataset motivated by the assumption that better recognition corresponds to more realistic images.

**Depth.** We apply our method to depth prediction on NYUDepth v2 dataset [22]. We train using the entire NYUDepth v2 raw data distribution, using the official split. There are 209,822 train and test 187,825 images.

As encoder network, we are using ResNet-50 with stride 8 and atrous convolution, initialized with the pre-trained weights. We use input size  $304 \times 228$  (*width* × *height*). Then we upsample three times with convolutional layers in between to get back to original resolution.

We train the network with asynchronous stochastic gradient descent on 20 machines with a momentum of 0.9 and batch size 16, using a fixed learning rate 0.001. We train for 30,000 iterations. We apply L2 regularization with weight decay 0.0005. We augment the dataset through random changes in brightness, hue, saturation, random color removal and mirroring.

For depth prediction, we use the reverse Huber following [

$$Loss(y, \hat{y}) = \begin{cases} |y - \hat{y}| & for \quad |y - \hat{y}| <= c \\ |y - \hat{y}|^2 & for \quad |y - \hat{y}| > c \end{cases}$$
(2)

$$c = \frac{1}{5} \max_{(b,h,w) \in [1...Batch \ Size][1...Height][1...Width]} |y_{b,h,w} - y_{b,h,w}|$$
(3)

The reverse Huber loss is equal to the L1(x) = |x| norm for  $x \in [-c, c]$  and equal to L2 norm outside this range. In every gradient descent step c is set to 20% of the maximal pixel error in the batch.

For evaluation we use the metrics from  $[\square]$  i.e. mean relative error, root mean squared error, root mean squared log error, the percentage of correct prediction within three relative thresholds:  $1.25, 1.25^2, 1.25^3$ .

**Semantic segmentation.** We evaluate our approach on the standard PASCAL VOC-2012 dataset  $[\square]$ . We use both the training dataset and augmented dataset  $[\square]$  which together consists of 10,582 images. We test on the VOC Pascal 2012 validation dataset of 1,449 images.

As the encoder network, we are using ResNet-50 with stride 8 and atrous convolution, initialized with pre-trained weights on ImageNet dataset with an input size of  $321 \times 321$ . Decoder upsamples three times with factor 2 with the convolutional layer between them.

We train the network with asynchronous stochastic gradient descent on ten machines with a momentum of 0.9 and batch size 12, starting from learning rate 0.001 with polynomial decay with the power 0.9 for 100,000 iterations. We apply L2 regularization with weight decay of 0.0001. We randomly augment the dataset through rescaling the images by a random factor between 0.5 and 2.0 and random cropping of size  $321 \times 321$ .

We train and evaluate following the setup from [22]. We train the model using maximum likelihood estimation per pixel (softmax cross entropy) and use mIOU (mean Intersection Over Union) to benchmark the models.

### 4 Results

Our results are presented in Table 2. For the sake of discussion, since all evaluation metrics are highly correlated, this table only reports a single metric per problem. A table with all metrics can be found in the supplementary material. We first discuss the upper half of this table, which compares the upsampling types described in Section 2.1 on our target problems, both with and without the skip layer. Afterward, we discuss the benefits of adding our residual connections, resulting in the bottom half of Table 2.

**Results without residual-like connections.** For semantic segmentation, the use of skiplayers improves performance. Separable transposed convolutions are the best upsampling

Dataset I I Voc Pascal 2012 NVU2 Depin ImageNet Code Pascal 2012   Metro I I I I Mut <td< th=""><th>Problem</th><th>Residual</th><th>Skip</th><th>Semantic Segmentation</th><th>Depth Prediction</th><th>Colorization</th><th>Super-resolution</th><th>Instance Edge Detection</th></td<>	Problem	Residual	Skip	Semantic Segmentation	Depth Prediction	Colorization	Super-resolution	Instance Edge Detection
Metric I I I I Induct  Separable TransposedY <t< td=""><td>Dataset</td><td></td><td></td><td>VOC Pascal 2012</td><td>NYUv2 Depth</td><td>ImageNet</td><td>CelebA</td><td>VOC Pascal 2012</td></t<>	Dataset			VOC Pascal 2012	NYUv2 Depth	ImageNet	CelebA	VOC Pascal 2012
Tarsposed N N N 0.651 0.165 0.651 0.651 0.656 0.266   Tarsposed N Y 0.653 0.166 0.664 0.663 0.663   Decomposed Tarsposed N Y 0.663 0.166 0.861 0.663 0.663   Spanable Tarsposed N Y 0.662 0.166 0.861 0.663 0.663   Spanable Tarsposed N Y 0.662 0.166 0.963 0.656 0.656   Upsample Eliner+ Conv N N 0.663 0.164 0.663 0.657 0.657   Upsample Eliner+ Conv N N 0.663 0.114 0.963 0.657 0.657 0.657   Conv + Deph To Space N N N 0.014 0.656 0.656 0.656 0.656 0.656 0.656 0.656 0.656 0.656 0.656 0.656 0.656 0.656 0.656 0.656 0.656 0.656 0.6	Metric			mloU	MRE	AUC	SSIM	f-measure
Transposed N N N 0.661 0.016 0.661 0.664 0.664 0.664 0.664 0.664 0.664 0.664 0.664 0.664 0.664 0.664 0.664 0.664 0.666 <th0.666< th=""> 0.666 <th0.666< t<="" td=""><td></td><td></td><td></td><td></td><td></td><td></td><td></td><td></td></th0.666<></th0.666<>								
Transported N Y 0.666 0.166 0.666 0	Transposed	z	z	0.651	0.162	0.951	0.674	0.248
Decomposed Transposed N N 0.642 0.164 0.642 0.164 0.643   Decomposed Transposed N N N 0.665 0.166 0.933 0.933   Spearable Transposed N N 0.665 0.166 0.933 0.657 0.57   Spearable Transposed N N N 0.665 0.166 0.653 0.656 0.57   Upsample Bilinear + Conv N N N N 0.666 0.743 0.656 0.55 0.55   Conv + Depth To Space N N N N 0.666 0.743 0.55 0.55   Conv + Depth To Space N N N 0.743 0.743 0.55 0.55   Conv + Depth To Space N N N 0.646 0.655 0.55 0.55 0.55 0.55 0.55 0.55 0.55 0.55 0.55 0.55 0.55 0.55 0.55 0.55 0.55 0.55	Transposed	z	≻	0.659	0.165	0.954		0.639
Decomposed Transposed N Y 0.662 0.166 0.662 0.666 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.665 0.666	Decomposed Transposed	z	z	0.642	0.164	0.951	0.68	0.458
Separable Transposed N 0.66 0.16 0.67 0.67 0.67   Separable Transposed N Y 0.67 0.61 0.64 0.57   Upsample Blinear+Conv N Y 0.65 0.16 0.67 0.67   Upsample Blinear+Conv N Y 0.65 0.16 0.64 0.65   Upsample Blinear+Conv N N 0.66 0.17 0.99 0.66 0.65   Conv + Deth To Space N N N 0.66 0.17 0.99 0.66   Conv + Deth To Space N N 0.66 0.17 0.99 0.66 0.66   Simular Additive Upsampling +Conv N N 0.66 0.16 0.66 0.66 0.66   Simular Additive Upsampling +Conv Y N 0.66 0.66 0.66 0.66 0.66 0.66 0.66 0.66 0.66 0.66 0.66 0.66 0.66 0.66 0.66 0.66 0.66	Decomposed Transposed	z	≻	0.652	0.166	0.953		0.522
Sperable Transposed N Y 0 67 0164 067 067   Upsample Blinear + Conv N Y 0 065 0.194 0.694 0.645   Upsample Blinear + Conv N Y 0 065 0.174 0.949 0.656   Conv + Depth To Space N Y 0 066 0.174 0.993 0.656   Conv + Depth To Space N Y 0.666 0.174 0.993 0.666 0.656   Siltnear Additive Upsampling + Conv N Y 0.666 0.174 0.993 0.666   Siltnear Additive Upsampling + Conv N Y 0.666 0.174 0.993 0.666 0.666   Siltnear Additive Upsampling + Conv Y Y 0.666	Separable Transposed	z	z	0.659	0.163	0.952	0.676	0.57
Upsample Bilner + Conv N N 0 02 0.13 0.451 0.451   Upsample Bilner + Conv N Y 0.056 0.17 0.949 0.666 0.75   Upsample Bilner + Conv N Y 0.049 0.174 0.949 0.666 0.75   Conv + Depth To Space N N Y 0.044 0.174 0.998 0.566 0.566   Silner Additive Upsampling + Conv N Y 0.064 0.174 0.998 0.656 0.566   Jilner Additive Upsampling + Conv Y N 0.0144 0.989 0.666 0.174 0.666 0.56	Separable Transposed	z	≻	0.671	0.164	0.948		0.57
Upsample Bilnear + Conv N Y 0.666 0.174 0.949 0.646 0.174 0.666   Conv + Depth To Space N N Y 0.649 0.174 0.955 0.666 0.664   Conv + Depth To Space N Y 0.649 0.164 0.955 0.666 0.664 0.664 0.664 0.664 0.666 0.664 0.666 0.664 0.666 <td>Upsample Bilinear + Conv</td> <td>z</td> <td>z</td> <td>0.62</td> <td>0.198</td> <td>0.949</td> <td>0.593</td> <td>0.451</td>	Upsample Bilinear + Conv	z	z	0.62	0.198	0.949	0.593	0.451
Conv bepth To Space N N N 0.644 0.014 0.05	Upsample Bilinear + Conv	z	≻	0.656	0.174	0.949		0.565
Conv Depti To Space N Y 0644 0114 0653 0654   Billear Additive Upsampling + Conv N Y 0.664 0.165 0.049 0.649 0.610   Billear Additive Upsampling + Conv N Y 0.661 0.166 0.049 0.619 0.619   Billear Additive Upsampling + Conv Y Y 0.665 0.166 0.055 0.616 0.616   Transposed Y Y N 0.655 0.164 0.656 0.616 0.616   Transposed Y N 0.655 0.171 0.655 0.616 0.626   Decomposed Tansposed Y N 0.647 0.656 0.616 0.626   Decomposed Tansposed Y N 0.647 0.626 0.626   Decomposed Tansposed Y N 0.647 0.656 0.646   Decomposed Tansposed Y N 0.647 0.656 0.646 0.656   Decomposed Tansposed Y	Conv + Depth To Space	z	z	0.649	0.162	0.95	0.596	0.5
Interratditive Upsampling + Conv N <	Conv + Depth To Space	z	≻	0.644	0.174	0.953		0.647
Illinear Additive Upsampling +Conv N Y 0.665 0.169 0.062 0.665 0	Bilinear Additive Upsampling + Conv	z	z	0.661	0.165	0.949	0.594	0.619
Transposed Y N 0.665 0.164 0.951 0.666 0.622   Transposed Y Y 0.650 0.164 0.951 0.626   Transposed Y Y 0.650 0.164 0.953 0.295   Decomposed Transposed Y N 0.669 0.171 0.954 0.265   Decomposed Transposed Y N 0.665 0.162 0.951 0.243   Decomposed Transposed Y N 0.665 0.166 0.954 0.61   Separable Transposed Y N 0.665 0.166 0.946 0.61   Upsample Bilinear + Conv Y N 0.665 0.17 0.946 0.61   Upsample Bilinear + Conv Y N 0.665 0.17 0.946 0.653   Upsample Bilinear + Conv Y N N 0.665 0.17 0.946 0.653   Upsample Bilinear + Conv Y N 0.665 0.175 0.946<	Bilinear Additive Upsampling + Conv	z	≻	0.669	0.169	0.952		0.653
TransposedYN0.6550.1640.6510.6660.652TransposedYYN0.6590.1640.6530.6560.626Decomposed TransposedYNN0.6450.1710.9540.9530.295Decomposed TransposedYNN0.6450.1710.9540.9530.243Decomposed TransposedYNN0.6450.1660.9510.9510.243Decomposed TransposedYNN0.6650.1660.9510.9510.953Separable TransposedYNN0.6650.1660.9510.9510.951Separable TransposedYNN0.6650.1660.9510.9510.953Upsample Bilinear ConvYNN0.6650.1750.9460.9540.531Upsample Bilinear ConvYNN0.6520.1750.9460.9540.531Upsample Bilinear ConvYNN0.6650.1750.9460.531Upsample Bilinear ConvYNN0.6520.1750.9460.531Upsample Bilinear ConvYNN0.6650.1750.9460.531Upsample Bilinear ConvYNN0.6520.1740.9540.531Upsample Bilinear ConvYNN0.6630.0150.9460.531Upsample Bilinear ConvY								
TansposedYYV0.6690.1640.9530.2950.295Decomposed TransposedYN00.6450.1710.9540.6330.243Decomposed TransposedYYN0.6450.6170.9540.6330.243Decomposed TransposedYNN0.6570.6160.9540.6310.531Separable TransposedYNN0.6690.1660.9460.6160.617Upsample Bilnear + ConvYNN0.6530.1710.9460.6530.617Upsample Bilnear + ConvYNN0.6530.1740.9460.6540.53Upsample Bilnear + ConvYNN0.6530.1740.9460.530.53Upsample Bilnear + ConvYNN0.6530.1740.9460.53Upsample Bilnear + ConvYNN0.6530.1740.9460.53Upsample Bilnear + ConvYNN0.6530.1740.9460.53Upsample Bilnear + ConvYNN0.6530.1740.9540.53Upsample Bilnear + ConvYNN0.6530.1740.9540.53Upsample Bilnear + ConvYNN0.6550.1740.9540.53Upsample Bilnear + ConvYNN0.6550.1740.9540.53Upsample Bilnear + ConvYN </td <td>Transposed</td> <td>≻</td> <td>z</td> <td>0.655</td> <td>0.164</td> <td>0.951</td> <td>0.686</td> <td>0.622</td>	Transposed	≻	z	0.655	0.164	0.951	0.686	0.622
Decomposed Transposed Y N 0.645 0.71 0.664 0.682 0.643   Decomposed Transposed Y Y 0.637 0.637 0.637 0.631 0.531   Decomposed Transposed Y N 0 0.637 0.669 0.666 0.631   Separable Transposed Y N 0 0.667 0.666 0.663 0.617   Upsample Bilnear + Conv Y N N 0.665 0.747 0.675 0.617   Upsample Bilnear + Conv Y N N 0.665 0.717 0.946 0.653 0.653   Upsample Bilnear + Conv Y N N 0.665 0.747 0.646 0.537   Upsample Bilnear + Conv Y N N 0.665 0.743 0.537   Upsample Bilnear + Conv Y N N 0.665 0.666 0.534   Upsample Bilnear + Conv Y N N 0.665 0.674 0.534	Transposed	≻	≻	0.659	0.164	0.953		0.295
Decomposed Transposed Y Y 0.637 0.669 0.661 0.661 0.531   Separable Transposed Y N N 0.669 0.166 0.945 0.61 0.51   Separable Transposed Y N N 0.669 0.166 0.945 0.61 0.61   Separable Transposed Y N N 0.665 0.165 0.946 0.61 0.61   Upsample Bilnear + Conv Y N N 0.653 0.171 0.949 0.654 0.537   Upsample Bilnear + Conv Y N N 0.653 0.174 0.949 0.537   Upsample Bilnear + Conv Y N N 0.654 0.544 0.53   Upsample Bilnear + Conv Y N N 0.654 0.664 0.53   Upsample Bilnear + Conv Y N N 0.654 0.53   Upsample Bilnear + Conv Y N N 0.654 0.53	Decomposed Transposed	≻	z	0.645	0.171	0.954	0.682	0.243
Separable Transposed Y N 0.669 0.166 0.945 0.663 0.61   Separable Transposed Y Y Y 0.652 0.165 0.946 0.61 0.61   Upsample Bilnear + Conv Y N 0.653 0.171 0.946 0.517 0.517   Upsample Bilnear + Conv Y N 0.653 0.171 0.946 0.537 0.537   Upsample Bilnear + Conv Y N 0.653 0.175 0.946 0.537 0.537   Upsample Bilnear + Conv Y N 0.0653 0.174 0.956 0.537 0.537   Conv + Depth To Space Y N 0.0653 0.174 0.956 0.564 0.531   Bilnear Additive Upsampling + Conv Y N 0.0653 0.174 0.564 0.531   Bilnear Additive Upsampling + Conv Y N 0.0653 0.174 0.564 0.531   Bilnear Additive Upsampling + Conv Y N 0.0654 0.5	Decomposed Transposed	≻	≻	0.637	0.162	0.951		0.531
Separable Transposed Y Y 0.652 0.165 0.946 0.517   Upsample Bilnear + Conv Y N 0 0.653 0.171 0.946 0.537   Upsample Bilnear + Conv Y Y 0.653 0.175 0.946 0.537   Upsample Bilnear + Conv Y Y 0.651 0.175 0.954 0.537   Upsample Bilnear + Conv Y N 0.652 0.175 0.954 0.537   Conv + Depth To Space Y N 0.652 0.174 0.953 0.654 0.537   Bilnear Additive Upsampling + Conv Y N 0.653 0.174 0.953 0.654 0.654   Bilnear Additive Upsampling + Conv Y N 0.656 0.165 0.654 0.655 0.655   Bilnear Additive Upsampling + Conv Y N 0.0656 0.656 0.655 0.655 0.655   Bilnear Additive Upsampling + Conv Y N 0.656 0.656 0.656 0.655	Separable Transposed	≻	z	0.669	0.166	0.945	0.683	0.61
Upsample Bilnear + Conv Y N 0.653 0.171 0.949 0.684 0.53   Upsample Bilnear + Conv Y Y 0.651 0.175 0.949 0.637 0.53   Upsample Bilnear + Conv Y N 0.652 0.174 0.954 0.53   Conv + Depth To Space Y N 0.665 0.174 0.953 0.53   Loant + Depth To Space Y N 0.665 0.174 0.953 0.53   Solute + Depth To Space Y N 0.663 0.174 0.953 0.53   Bilnear Additive Upsampling + Conv Y N 0.658 0.165 0.951 0.666 0.624   Bilnear Additive Upsampling + Conv Y N 0.654 0.165 0.951 0.623 0.623	Separable Transposed	≻	≻	0.652	0.165	0.946		0.517
Upsample Bilinear + Conv Y Y 0.651 0.175 0.954 0.537   Conv + Depth To Space Y N 0.0652 0.174 0.963 0.654 0.654   Conv + Depth To Space Y N 0.0652 0.174 0.963 0.654 0.624   Conv + Depth To Space Y N 0.0653 0.174 0.944 0.624 0.624   Bilinear Additive Upsampling + Conv Y N 0.0658 0.165 0.951 0.625   Bilinear Additive Upsampling + Conv Y N 0.0658 0.165 0.951 0.653	Upsample Bilinear + Conv	≻	z	0.653	0.171	0.949	0.684	0.53
Conv + Depth To Space Y N 0.662 0.174 0.953 0.686 0.624   Conv + Depth To Space Y Y 0.663 0.17 0.944 0.62   Slilnear Additive Upsampling + Conv Y N 0.668 0.165 0.944 0.62   Bilinear Additive Upsampling + Conv Y N 0.668 0.165 0.951 0.625   Bilinear Additive Upsampling + Conv Y N 0.664 0.165 0.651 0.625	Upsample Bilinear + Conv	≻	≻	0.651	0.175	0.954		0.537
Conv + Depth To Space Y V 0.653 0.17 0.944 0.62 0.62 0.65 0.64 <td>Conv + Depth To Space</td> <td>≻</td> <td>z</td> <td>0.652</td> <td>0.174</td> <td>0.953</td> <td>0.686</td> <td>0.624</td>	Conv + Depth To Space	≻	z	0.652	0.174	0.953	0.686	0.624
Bilinear Additive Upsampling + Conv Y N 0.658 0.165 0.951 0.683 0.625   Bilinear Additive Upsampling + Conv Y Y 0.654 0.167 0.952 0.643 0.643	Conv + Depth To Space	≻	≻	0.653	0.17	0.944		0.62
Bilinear Additive Upsampling + Conv Y V 0.654 0.167 0.952	Bilinear Additive Upsampling + Conv	≻	z	0.658	0.165	0.951	0.683	0.625
	Bilinear Additive Upsampling + Conv	≻	≻	0.654	0.167	0.952		0.643

#### WOJNA ET AL.: THE DEVIL IS IN THE DECODER

Table 2: Our main results comparing a variety of decoders on five machine vision problems. The upper part shows decoders without residual-like connections; the bottom shows decoders with residual-like connections. The colors represent relative performance: red means top performance, yellow means reasonable performance, blue means poor performance.

Method	edge detection	super-resolution	colorization	depth prediction	sem. segmentation
Measure	f-measure	SSIM	AUC	MRE	mIoU
Our method	0.63	0.68	0.951	0.165	0.658
Recent work	0.62 [🖪]	0.70 [🛂]	0.895 [53]	0.158 🖪	0.622 [

Table 3: Comparison of our bilinear additive upsampling + conv + res results with other methods from the literature.

method. For depth prediction, all layers except bilinear upsampling have good performance, whereas adding skip layers to these results in equal performance except for depth-to-space, where it slightly lowers performance. For colorization, all upsampling methods perform similarly, and the specific choice matters little. For superresolution, networks with skip-layers are not possible because there are no 'encoder' modules which high-resolution (and relatively low-semantic) features. Therefore this problem has no skip-layer entries. Regarding performance, only all transposed variants perform well on this task; other layers do not. For Instance Edge Detection, the skip-layer is necessary to get good results. The best performance is obtained by Transposed, depth-to-space, and bilinear additive upsampling.

Generalizing over problems, we see that (1) bilinear upsampling plus convolution is always inferior to other methods. (2) Skip layers make a difference: For semantic segmentation and instance edge detection, they give performance improvements. (3) Separable transposed convolutions have the most consistently good performance; only for instance edge detection, it does not reach top performance.

**Results with residual-like connections.** We now add our residual-like connections to all upsampling methods. Results are presented in the lower half of Table 2. For the majority of combinations, we see that adding residual connections is beneficial. Interestingly, we now can identify two upsampling methods which have consistently good results on *all* problems presented in this paper, both which have residual connections: (1) transposed convolutions + residual connections. (2) bilinear additive upsampling + residual connections (both with and without skip connections).

Finally, we compare our results with recent works in Table 3. This comparison shows that our used architectures are relatively strong and therefore well-suited for our evaluation experiments.

# **5** Conclusions

This paper provided an extensive evaluation for different decoder types on a broad range of machine vision applications. Our results demonstrate: (1) Decoders matter: there are significant performance differences between different decoders depending on the problem at hand. For example, skip layers were essential for both instance edge detection and semantic segmentation. (2) We introduced the bilinear additive upsampling layer, which considerably improves upon normal bilinear upsampling and which often results in top performance. (3) We introduced residual-like connections, which in most cases yield improvements when added to any upsampling layer. (4) There are two decoder types which give consistently top performance among the problems which we studied: (A) Transposed Convolutions with residual-like connections. (B) bilinear additive upsampling with residual-like connections. We recommend using either of these two decoder types for dense prediction tasks.

### References

- Jose M. Alvarez and Lars Petersson. Decomposeme: Simplifying convnets for endto-end learning. *CoRR*, abs/1606.05426, 2016. URL http://arxiv.org/abs/ 1606.05426.
- [2] François Chollet. Xception: Deep learning with depthwise separable convolutions. *CoRR*, abs/1610.02357, 2016. URL http://arxiv.org/abs/1610.02357.
- [3] Alexey Dosovitskiy and Thomas Brox. Inverting visual representations with convolutional networks. In *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition*, pages 4829–4837, 2016.
- [4] Alexey Dosovitskiy, Philipp Fischer, Eddy Ilg, Philip Hausser, Caner Hazirbas, Vladimir Golkov, Patrick van der Smagt, Daniel Cremers, and Thomas Brox. Flownet: Learning optical flow with convolutional networks. In *Proceedings of the IEEE International Conference on Computer Vision*, pages 2758–2766, 2015.
- [5] Vincent Dumoulin and Francesco Visin. A guide to convolution arithmetic for deep learning. *arXiv preprint arXiv:1603.07285*, 2016.
- [6] David Eigen and Rob Fergus. Predicting depth, surface normals and semantic labels with a common multi-scale convolutional architecture. In *Proceedings of the IEEE International Conference on Computer Vision*, pages 2650–2658, 2015.
- [7] M. Everingham, L. Van Gool, C. K. I. Williams, J. Winn, and A. Zisserman. The PAS-CAL Visual Object Classes Challenge 2012 (VOC2012) Results. http://www.pascalnetwork.org/challenges/VOC/voc2012/workshop/index.html, 2012.
- [8] Bharath Hariharan, Pablo Arbeláez, Lubomir Bourdev, Subhransu Maji, and Jitendra Malik. Semantic contours from inverse detectors. In *Computer Vision (ICCV)*, 2011 IEEE International Conference on, pages 991–998. IEEE, 2011.
- [9] Kaiming He, Xiangyu Zhang, Shaoqing Ren, and Jian Sun. Deep residual learning for image recognition. In *Proceedings of the IEEE conference on computer vision and pattern recognition*, pages 770–778, 2016.
- [10] Satoshi Iizuka, Edgar Simo-Serra, and Hiroshi Ishikawa. Let there be color!: joint endto-end learning of global and local image priors for automatic image colorization with simultaneous classification. ACM Transactions on Graphics (TOG), 35(4):110, 2016.
- [11] Eddy Ilg, Nikolaus Mayer, Tonmoy Saikia, Margret Keuper, Alexey Dosovitskiy, and Thomas Brox. Flownet 2.0: Evolution of optical flow estimation with deep networks. *arXiv preprint arXiv:1612.01925*, 2016.
- [12] Alex Kendall, Vijay Badrinarayanan, and Roberto Cipolla. Bayesian segnet: Model uncertainty in deep convolutional encoder-decoder architectures for scene understanding. *CoRR*, abs/1511.02680, 2015. URL http://arxiv.org/abs/1511.02680.
- [13] Anna Khoreva, Rodrigo Benenson, Mohamed Omran, Matthias Hein, and Bernt Schiele. Weakly supervised object boundaries. In *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition*, pages 183–192, 2016.

- [14] Jiwon Kim, Jung Kwon Lee, and Kyoung Mu Lee. Accurate image super-resolution using very deep convolutional networks. In *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition*, pages 1646–1654, 2016.
- [15] Iro Laina, Christian Rupprecht, Vasileios Belagiannis, Federico Tombari, and Nassir Navab. Deeper depth prediction with fully convolutional residual networks. In 3D Vision (3DV), 2016 Fourth International Conference on, pages 239–248. IEEE, 2016.
- [16] Christian Ledig, Lucas Theis, Ferenc Huszár, Jose Caballero, Andrew Cunningham, Alejandro Acosta, Andrew Aitken, Alykhan Tejani, Johannes Totz, Zehan Wang, et al. Photo-realistic single image super-resolution using a generative adversarial network. arXiv preprint arXiv:1609.04802, 2016.
- [17] Guosheng Lin, Anton Milan, Chunhua Shen, and Ian D. Reid. Refinenet: Multi-path refinement networks for high-resolution semantic segmentation. *CoRR*, abs/1611.06612, 2016. URL http://arxiv.org/abs/1611.06612.
- [18] Tsung-Yi Lin, Piotr Dollár, Ross B. Girshick, Kaiming He, Bharath Hariharan, and Serge J. Belongie. Feature pyramid networks for object detection. *CoRR*, abs/1612.03144, 2016. URL http://arxiv.org/abs/1612.03144.
- [19] Ziwei Liu, Ping Luo, Xiaogang Wang, and Xiaoou Tang. Deep learning face attributes in the wild. In *Proceedings of International Conference on Computer Vision (ICCV)*, December 2015.
- [20] Jonathan Long, Evan Shelhamer, and Trevor Darrell. Fully convolutional networks for semantic segmentation. In *Proceedings of the IEEE Conference on Computer Vision* and Pattern Recognition, pages 3431–3440, 2015.
- [21] David Martin, Charless Fowlkes, Doron Tal, and Jitendra Malik. A database of human segmented natural images and its application to evaluating segmentation algorithms and measuring ecological statistics. In *Computer Vision, 2001. ICCV 2001. Proceedings. Eighth IEEE International Conference on*, volume 2, pages 416–423. IEEE, 2001.
- [22] Pushmeet Kohli Nathan Silberman, Derek Hoiem and Rob Fergus. Indoor segmentation and support inference from rgbd images. In *ECCV*, 2012.
- [23] Alejandro Newell, Kaiyu Yang, and Jia Deng. Stacked hourglass networks for human pose estimation. In *European Conference on Computer Vision*, pages 483–499. Springer, 2016.
- [24] Anh Nguyen, Jason Yosinski, Yoshua Bengio, Alexey Dosovitskiy, and Jeff Clune. Plug & play generative networks: Conditional iterative generation of images in latent space. arXiv preprint arXiv:1612.00005, 2016.
- [25] Augustus Odena, Vincent Dumoulin, and Chris Olah. Deconvolution and checkerboard artifacts. *Distill*, 1(10):e3, 2016.
- [26] Junting Pan, Elisa Sayrol, Xavier Giro-i Nieto, Kevin McGuinness, and Noel E O'Connor. Shallow and deep convolutional networks for saliency prediction. In *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition*, pages 598–606, 2016.

- [27] Pedro O Pinheiro, Tsung-Yi Lin, Ronan Collobert, and Piotr Dollár. Learning to refine object segments. In *European Conference on Computer Vision*, pages 75–91. Springer, 2016.
- [28] Olaf Ronneberger, Philipp Fischer, and Thomas Brox. U-net: Convolutional networks for biomedical image segmentation. In *International Conference on Medical Image Computing and Computer-Assisted Intervention*, pages 234–241. Springer, 2015.
- [29] Olga Russakovsky, Jia Deng, Hao Su, Jonathan Krause, Sanjeev Satheesh, Sean Ma, Zhiheng Huang, Andrej Karpathy, Aditya Khosla, Michael Bernstein, Alexander C. Berg, and Li Fei-Fei. ImageNet Large Scale Visual Recognition Challenge. *International Journal of Computer Vision (IJCV)*, 115(3):211–252, 2015. doi: 10.1007/ s11263-015-0816-y.
- [30] Wenzhe Shi, Jose Caballero, Ferenc Huszár, Johannes Totz, Andrew P Aitken, Rob Bishop, Daniel Rueckert, and Zehan Wang. Real-time single image and video superresolution using an efficient sub-pixel convolutional neural network. In *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition*, pages 1874–1883, 2016.
- [31] Christian Szegedy, Vincent Vanhoucke, Sergey Ioffe, Jon Shlens, and Zbigniew Wojna. Rethinking the inception architecture for computer vision. In *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition*, pages 2818–2826, 2016.
- [32] Jasper RR Uijlings and Vittorio Ferrari. Situational object boundary detection. In *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition*, pages 4712–4721, 2015.
- [33] Xin Yu and Fatih Porikli. Ultra-resolving face images by discriminative generative networks. In *European Conference on Computer Vision*, pages 318–333. Springer, 2016.
- [34] Matthew D Zeiler, Dilip Krishnan, Graham W Taylor, and Rob Fergus. Deconvolutional networks. In *Computer Vision and Pattern Recognition (CVPR), 2010 IEEE Conference on*, pages 2528–2535. IEEE, 2010.
- [35] Richard Zhang, Phillip Isola, and Alexei A Efros. Colorful image colorization. In European Conference on Computer Vision, pages 649–666. Springer, 2016.